

SAYANOVA, V.V.

Variability of the content of protein and nonprotein nitrogen in
the vegetative organs and grain of some *Phaseolus* species. Trudy
po khim. prirod. soed. no. 3:41-55 '60. (MIRA 16:2)

1. Kishinevskiy gosudarstvennyy universitet. Laboratoriya khimii
belka.
(Beans) (Plants--Chemical analysis) (Nitrogen)

SAYANOVA, V.V.; BEREZOVIKOV, A.D.; BARANOVA, T.A.

Variability in the protein and nonprotein nitrogen content during
the ripening of the seeds of some bean species. Trudy po khim.
prirod. soed. no.5:63-68 '62. (MIRA 16:11)

1. Laboratoriya khimii belka Kishinevskogo gosudarstvennogo universiteta.

RACOZIN, B., kand. tekhn. nauk; SAYAPIN, B.

Organizing rapid passenger lines on the Ob'. Rech. transp. 22
no.10:9-10 O. '63. (MIRA 16:12)

1. Nachal'nik passazhirskogo otdela Obskogo parokhodstva (for
Sayapin).

ACC NR: AP7001578

SOURCE CODE: UR/0421/66/000/006/0115/0116

AUTHOR: Sayapin, G. N. (Moscow)

ORG: none

TITLE: Investigation of the peculiarities of hypersonic flow of a nonequilibrium gas around blunt bodies

SOURCE: AN SSSR. Izvestiya. Mekhanika zhidkosti i gaza, no. 6, 1966, 115-116

TOPIC TAGS: hypersonic flow, nonequilibrium flow, flow characteristics

ABSTRACT: The hypersonic flow of a nonequilibrium gas around a sphere is considered. A simplified model of a diatomic gas is assumed with constant specific heat coefficient of the inert phase and a constant relaxation time ($\tau = \text{const}$). The equations for this case are stated with the appropriate boundary conditions and solved numerically in spherical coordinates as proposed by G. F. Telenin (S. M. Gilinskiy, G. F. Telenin, and G. P. Tinyakov. Metod rascheta sverkhzvukovogo obtekaniya zatuplennykh tel s otoshedshay udarnom volnoy. Izv. AN SSSR, Mekhanika i mashinostroyeniye, 1964, No. 4). Computer results of the temperature, pressure, and density distributions along two rays of the coordinate system ($\theta = 0$ and $\theta = 0.3125$) are presented for various relaxation time constants. The author thanks O. Yu. Polyanskiy for his constant attention to this work.

Orig. art. has: 5 figures and 9 formulas.

SUB CODE: 20/ SUBM DATE: 21Apr66/ ORIG REF: 004/ OTH REF: 001

Card 1/1

SAYAPIN, I.

In Soviet Tajikistan. Pozh.delo 5 no.9:12 S '59.
(MIRA 13:1)

1. Nachal'nik otdela Gosplana Tadzhikskoy SSR.
(Tajikistan--Fire prevention)

SAYAPIN, N.I.

AID P - 3229

Subject : USSR/Electricity

Card 1/1 Pub. 29 - 14/30

Authors : Sayapin, N. I., and P. M. Karpenko, Foremen

Title : Production of tubular manometric springs

Periodical : Energetik, 8, 14-15, Ag 1955

Abstract : At one of the hydroelectric power stations, 30- and 100-at manometric springs were produced according to the authors' designs. The authors describe the production procedure. Four drawings.

Institution : None

Submitted : No date

1. SAYAPIN, V.
2. USSR (600)
4. Automobiles - Bodies
7. Causes of some defects in the GAZ-MN automobile. MTS 13, No. 4, 1953.

9. Monthly List of Russian Accessions, Library of Congress, April 1953. Unclassified.

AUTHORS: Sayapin, V., Toshchev, A.

SOV/107-58-11-29/40

TITLE: An Amplifier Without an Output Transformer ('Usilitel' bez vykhodnogo transformatora)

PERIODICAL: Radio, 1958, Nr 11, pp 45-46 (USSR)

ABSTRACT: The article describes an amplifier intended for use in an acoustic unit containing 16 IGD-9 loudspeakers connected in series. The maximum power of the amplifier is about 20 w with a nonlinear distortion coefficient not greater than 1.5 %. Its power consumption is 200 w and its frequency characteristics at a level of 1db begin at 40 cycles and can reach 60 cycles, depending on how it is installed. The wide band pass is explained by the absence of an output transformer. Figure 1 is a circuit diagram of the amplifier. The first stage is a cathode follower, the second the usual voltage amplification, and the third, based on a 6Zh2P pentode, has negative feedback dependent on the frequency. The fourth stage is a phase inverter with cathode coupling, the fifth two-cycle stage, based on 6P6 valves amplifies the voltage up to 75 v. The final stage has two 6N5S dual triodes. The background noise in the amplifier is equal to 50db. The cabinet of the acoustic unit is shown in Figure 2, and the

Card 1/2

An Amplifier Without an Output Transformer

SOV/1C7-58-11-29/40

amplifier is adjusted by first adjusting the valves according to the information in Table 1. The rectifier of the amplifier power supply unit is described and shown in Figure 3, and details of the windings are given in Table 2. There are 2 circuit diagrams, 2 tables, and 1 diagram.

Card 2/2

POZHARSKIY, F.T.; SAYAPIN, V.G.; MARTSOKHA, B.K.

Halogenation of indazole and its derivatives by complex
compounds of halogens with dioxane. Zhur. ob. khim. 34
no.8:2777-2778. Ag '64. (MIRA 17:9)

1. Rostovskiy-na-Donu gosudarstvennyy universitet.

L 16026-66

EWT(m)

RM

ACC NR: AP5024145

SOURCE CODE: UR/0075/65/020/009/1016/1018

AUTHOR: Pavlova, N. N.; Sayapin, V. G.

50
B

ORG: Central Laboratory of Applied Geochemistry of the Geological-Geochemical Trust, Moscow (Tsentral'naya laboratoriya prikladnoi geokhimi i Geologo-geokhimicheskogo tresta)

TITLE: Conditions of extraction of butylrhodamine C fluoroniobate

SOURCE: Zhurnal analiticheskoy khimii, v. 20, no. 9, 1016-1018

TOPIC TAGS: qualitative analysis, photometry, tantalum, columbium

ABSTRACT: Simultaneous extraction of butylrhodamine C fluoroniobate was observed during the development of the extraction-photometric determination of tantalum, using butylrhodamine C as a solvent (N. I. Pavlova and I. A. Blyum. Zavodskaya laboratoriya, 28, 1305, 1962). This property of the dye was used in the development of the extraction-photometric determination of niobium. The

Card 1/3

UDC: 543.70

L 16026-66

ACC NR: AP5024145

optimal conditions of extraction were determined and the calibration curve was plotted for niobium determination under these conditions: H₂O 12 ml., benzene 20 ml., concentration of H₂SO₄ 10 N, that of fluoride 0.014 g./ml., and that of butylrhodamine C 0.04%. Fifteen ml. of extract were mixed with 10ml. of acetone to stabilize the color of the benzene extraction. The optical density was measured in the photocolorimeter FEK-N-57 with the light filter No 6 (584 m) at a layer thickness of 5 cm. A comparison of the curves on dependence of the optical densities of extracts on the concentration of the dye in aqueous solution and on that of the fluorine ion in the solution, plotted during these experiments, with those obtained during tantalum determination, showed that the tantalum could be extracted satisfactorily at a considerably lower concentration of the dye. This difference could be used for the determination of niobium in the presence of tantalum, or for a simultaneous determination of tantalum and niobium from the same solution. For this purpose (1) the tantalum was extracted from one aliquot part of the same solution under conditions used for tantalum determination, i.e. at a lower concentration of dye, and (2) both elements were extracted from the other aliquot part under conditions for the extraction of niobium described above. The content of tantalum and niobium was then

L 16026-66

ACC NR: AP5024145

determined by comparing the results of measurements of density for the first and second case. Orig. art. has: 4 figures and 1 table.

SUB CODE: O7, 11 SUBM DATE: 22May64/ ORIG REF: 001

Card 3/3

CHEREMOVSKIY, Yurii Ivanovich; SAYARIN, V.I., kand.tekhn.nauk, retsenzent;
KHARITONCHIK, Ye.M., prof., red.; KUZ'MOV, N.T., inzh., red.;
YERMAKOV, N.P., tekhn.red.

[The S-80 and S-100 tractors; working principle and operation]
Traktory S-80 i S-100; ustroistvo i ekspluatatsiia. Izd.5.,
perer. i dop. Moskva, Gos.nauchno-tekhn.izd-vo mashinostroit.
lit-ry, 1959. 439 p. (MIRA 12:12)
(Tractors)

SAYAPIN, V.I., kand.tekhn.nauk; POZIN, B.M., inzh.

Resistance of crawler tractors to turning! Trakt.i sel'khozmash.
31 no.8:10-11 Ag '61. (MIRA 14:7)

1. Chelyabinskii politekhnicheskiy institut (for Sayapin).
2. Chelyabinskii traktornyj zavod (for Pozin).
(Crawler tractors)

SAYAPIN, V.I., kand.tekhn.nauk

Errors in the analysis of the effect of the speed on the traction
efficiency of a tractor. Trakt. i selkhozmash. 32 no.3:16-17
Mr '62. (MIRA 15:2)

1. Chelyabinskiy politekhnicheskiy institut.
(Tractors--Testing)

SAYAPIN, Ye.

SAYAPIN, Ye., inzhener; LISOVSKIY, N., inzhener; YEVDOKIMOVA, V.

Work out storage processes for grain products in asphalt floored
warehouses. Muk.-elev.prom. 20 no.2:9-10 F '54. (MIRA 7:7)

1. Krasnoyarskaya kontora Zagotzerno (for Sayapin and Lisovskiy)
2. Groznenskaya baza Zagotzerno (for Yevdokimova)
(Grain--Storage) (Flour--Storage)

SHEVCHENKO, N.V., inzh.; SAYAPIN, Yu.A., inzh.

New ways of providing transportation services for industrial enterprises. Zhel.dor.transp. 43: no.J0:81 0 '61. (MIRA 14:9)
(Railroads--Joint use of facilities)

SAYAPIN, YU. I., ENG.; KRASIL'NIKOV, I. YE., ENG.; KADYKOV, V.P., ENG.

Electric Power

Electric energy consumption in the preparation of reinforcements for hydrotechnical concrete,
Gidr. stroi. 21 no. 7, 1952.

9. Monthly List of Russian Accessions, Library of Congress, December 1952 ~~1953~~, Uncl.

1. BALKAREY, I. YU., Eng.; SAYAPIN, YU. I., Eng., SEREBRYANYY, M. N., Eng.
2. USSR (600)
4. Windlass
7. Modernization of the tractor winch D-148v, Mekh. stroi, 10, No. 1,
1953.
9. Monthly List of Russian Accessions, Library of Congress, April, 1953, Uncl.

PAVLOV, S.M., inzh.; FREYGOFER, Ye.F., inzh.; SAYAPIN, Yu.I., inzh.; ZHDANOV,
L.G., inzh.; BARYNINA, Ye.Yu., kand.tekhn.nauk

Fully mechanized aggregate yards for year-round large concrete plants.
Prom.stroi. 37 no.8:26-34 Ag '59. (MIRA 12:11)

1. Nauchno-issledovatel'skiy institut organizatsii, mekhanizatsii i
tekhnicheskoy pomoshchi stroitel'stva (for Pavlov). 2. Gidroproyekt
(for Sayapin, Freygofer, Zhdanov). 3. Nauchno-issledovatel'skiy insti-
tut stroitel'noy promyshlennosti (for Barynina).
(Concrete plants—Equipment and supplies)

KHOKHLOV, P.L., inzh.; DUBROV, V.S., inzh.; SLEPTSOV, N.I., inzh.;
SAYAPIN, Yu.V.

Operation of water-cooler cupola furnaces. Stal' 22 no.3:286-
287 Mr '62. (MIRA 15:3)

(Cupola furnaces—Cooling)

KHOKHLOV, P.L.; DUBROV, V.S.; SLEPTSOV, N.I.; SAYAPIN, Yu.V.

Analysis of cupola performance with various methods of water
cooling. Lit.proizv. no.7:36-37 J1 '62. (MIRA 16:2)
(Cupola furnaces—Cooling)

KOGAN, D.A., professor; PILOVITSKAYA, V.N., mladshiy nauchnyy sotrudnik;
SAYAPINA, L.I.

Antitoxic hepatic function in fractures of the long bones as affected
by some physical factors. Ortop., travm. i protez. 17 no.3:68 My-Je '56
(MIRA 9:12)

1. Iz Uzbecksogo nauchno-issledovatel'skogo instituta ortopedii,
travmatologii i protezirovaniya (dir. - kandidat meditsinskikh nauk
A.Sh.Shakirov)
(LIVER) (FRACTURES) (PHYSICAL THERAPY)

TROPKINA, A.; SAYAPINA, N.N., otv. red.

[Chemical industry of the U.S.S.R.; its importance and developmental prospects. Lecture for correspondence students] Khimicheskaya promyshlennost' SSSR; ee znachenie i perspektivy razvitiia. Lektsiiia dlia uchashchikhsia - zaochnikov. Moskva, Zaochnyi tekhnikum sovetskoi torgovli, 1963. 21 p. (MIRA 18:4)

SAYASOV, Yu.

Mathematical Reviews
Vol. 15 No. 1
Jan. 1954
Mathematical Physics

JCH
6/3/64

Sayasov, Yu. S. The phenomenon of a strong disturbance of characteristic electromagnetic oscillations in cylindrical regions for an insignificant violation of the cylindricity. Doklady Akad. Nauk SSSR (N.S.) 90, 163-166 (1953). (Russian)

The author discusses the influence on the characteristic electromagnetic oscillations of small deformations of the side surfaces of long, perfectly conducting, cylindrical resonators. He asserts that the perturbation of the field is proportional not only to the relative deformation of the side surfaces, but also to an additional factor which depends on the square of the ratio of the length of the cylinder to its transverse dimension; if this ratio is large, a small deformation leads to a large perturbation field.

To support this assertion he examines in detail a special case where the unperturbed region is a circular cylinder and the perturbed region is formed by circumscribing the cylinder with a conical surface which passes through one of the end circles of the cylinder and with two spherical surfaces which pass through the two end circles of the cylinder. The surfaces which enclose the unperturbed and perturbed regions are the "natural" surfaces of cylindrical and spherical coordinate systems respectively, and, therefore, the field components of both regions are exactly represented in terms of well-known solutions of Maxwell's equations.

For this special case the author's assertion is indeed true, but one must proceed with caution in drawing generalizations regarding small arbitrary deformations.

C. H. Papas (Pasadena, Calif.).

SAYASOV, Yu. S.

USSR/Chemistry Physical chemistry

Card : 1/1

Authors : Sayasov, Yu. S.

Title : Nature of the third limit of chain combustion in H₂ + O₂ mixtures

Periodical : Zhur. fiz. khim. 28, Ed. 6, 1043 - 1054, June 1954

Abstract : The role of the reaction of oxygen atom destruction in the chain oxidation of H, at pressures close to atmospheric, is explained. Calculation of this reaction facilitates the determination of the temperature boundary below which the third limit of chain combustion does not exist. Calculation of the reaction also facilitates the determination of the T-boundary, for the curve representing the limits of nonlinear chain combustion, taking place during the reaction as result of water vapor accumulation. The temperature range and kinetics of nonlinear combustion are outlined. Seven USSR and 2 USA references. Graph.

Institution : Acad. of Sc. USSR, Institute of Chemical Physics, Moscow

Submitted : September 3, 1953

SAYASOV, Yu.S.

SAYASOV, Yu.S.

"Internal Boundary Problems of Electrodynamics in a System of Coordinates of an Elongated Spheroid." Cand Phys-Math Sci, Inst of Chemical Physics, Acad Sci USSR, Moscow, 1955. (KL, No 16, Apr 55)

SC: Sum. No. 704, 2 Nov 55 - Survey of Scientific and Technical Dissertations
Defended at USSR Higher Educational Institutions (16).

SAYASOV, Yu. S.
USSR/Physics - Resonators

FD-3119

Card 1/1 Pub. 153 - 18/2⁴

Author : Kompaneyets, A. S.; Sayasov, Yu. S.

Title : Theory of electromagnetic resonators that are close in shape to conical

Periodical : Zhur. tekhn. fiz., 25, No 6 (June), 1955, 1124-1131

Abstract : The authors investigate the oscillations of electrical type in an electro-magnetic resonator formed from a spheroid and from a two-branch hyperbola cofocal with the spheroid in case of small ratios of focal distance to wave length. He modifies the ordinary method of the theory of perturbations so that consideration is taken of the strong deviation of the field in the resonator of the studied type from the field in the conical resonator close to the apices of cones. That is, the authors' aim is the strict investigation of the so-called spheroidal resonator under the assumption that the gap (the interval between the vertices of the hyperboloids) is sufficiently small. Five references, including one USSR: L. M. Ryzhik and I. S. Gradshteyn, Tablitsy integralov, GTTI, 1951.

Institution :

Submitted : April 3, 1954

"APPROVED FOR RELEASE: 03/14/2001

CIA-RDP86-00513R001447510003-6

The basis of the quasistationary concentrations method of
Semenov-Bodenstein and the conditions for its applicability
Yu S Sayasov and A P Vasil'eva - M v Lomonosov

APPROVED FOR RELEASE: 03/14/2001

CIA-RDP86-00513R001447510003-6"

"APPROVED FOR RELEASE: 03/14/2001

CIA-RDP86-00513R001447510003-6

APPROVED FOR RELEASE: 03/14/2001

CIA-RDP86-00513R001447510003-6"

SAYASOV, Yu.S.

Kinetics of successive reactions of various order. Zhur.fiz.khim.
30 no.6:1404-1406 Je '56. (MLRA 9:10)

1. Akademiya nauk SSSR, Institut khimicheskoy fiziki, Moskva.
(Chemical reaction, Rate of)

AUTHOR:

SAYASOV, YU.S., YENIKOLOPYAN, N.S.

PA - 2919

TITLE:

Note on the Diffusion of Active Centres in the Case of a
Quadratic Stripping of Chains in the Volume. (O diffusii aktivnykh
tsentrov pri kvadratichnom obryve tsepey v ob'eme, Russian)

PERIODICAL:

Doklady Akademii Nauk SSSR, 1957, Vol 113, Nr 1, pp 130 - 133
(U.S.S.R.)

Received: 5 / 1957

Reviewed: 6 / 1957

ABSTRACT:

The present paper furnishes a solution of the problem of the spatial steady distribution of the forming heterogeneous active centers on the assumption, that they are destroyed in the case of mutual collisions on the surface and in the interior (i.e. in the case of quadratic stripping of the chains). This problem arises e.g. in the case of a mixture of hydrogen with chlorine without admixtures of oxygen. Let the velocity of heterogeneous generation be much greater than the velocity of the homogeneous generation. The reaction is assumed to take place in a container with plane-parallel walls with a distance of $2l$ between the walls (one-dimensional problem). In that case the spatial distribution of the active centers is described by the differential equation $D(d^2n/dx^2) - k_p(M)n^2 = 0$. Here $n(1/cm^3)$ denotes the concentration of the active centers, $k_p(cm^6/sec)$ the coefficient of recombination, $(M)(1/cm^3)$ the total concentration of the mixture and of the pro-

Card 1/3

Note on the Diffusion of Active Centres in the PA - 2919
Case of a Quadratic Stripping of Chains in the Volume.

ducts, x (cm) - the coordinate measured from the center of the container, D (cm^2/sec) - the diffusion coefficient of the active centers. The boundary conditions are also given.

The solution of this differential equation can be represented by the elliptic function of WEIERSTRASS: $s = \wp(u)$. In the case of small velocities of the heterogeneous generation only few chains form at the walls, and therefore the probability of an interaction in the volume is small. Subsequently the equilibrium of the process of generation and destruction of the active centers is determined. If, however, a great number of chains form at the walls in unit time, \bar{n} is determined from the equality of the velocity of generation and destruction of the active centers in unit volume of the container. Furthermore the case is investigated in which the concentration n of the active centers varies considerably in the interior of the container. With the help of the method of the WEIERSTRASS function described here, the diffusion of the active centers for different conditions can be investigated (in which case the quadratic stripping of chains plays an important part. (1 illustration)

Card 2/3

PA - 2919

Note on the Diffusion of Active Centers in the Case of a Quadratic
Stripping of Chains in the Volume.

ASSOCIATION: Institute for Physical Chemistry of the Academy of Science
of the U.S.S.R.
PRESENTED BY: V.N.KONDRAT'YEV, Member of the Academy
SUBMITTED: 18.10.1956
AVAILABLE: Library of Congress

Card 3/3

AUTHOR:
TITLE:

SAYASOV, Yu. S.
On the Probability of the Capture of Electrons by Neutral Atoms in
the Case of Triple Collision.
(O veroyatnosti zakhvata elektronov neytral'nyimi atomami pri troy-
nykh stolknoveniyakh. Russian).

PERIODICAL:
(U.S.S.R.)

Doklady Akademii Nauk SSSR, 1957, Vol 113, Nr 3, pp 548 - 549
Received: 6 / 1957

Reviewed: 7 / 1957

ABSTRACT:

The present paper deals with the computation of the capture coefficient α of the electrons of the process $e + H + H_2 = H^- + H_2$ from the data on the cross sections of the process $H^- + H_2 = H + H_2 + e$. From the uniformity necessary at equilibrium of the total number of the collisions within the time interval there follows: $\alpha(e)(H_2) = \alpha^*(H^-)(H_2)$. Here the concentrations H^- and H are assumed to be small compared to the concentrations H_2 . From this relation, and if the ionization coefficient α^* is known, the capture coefficient α may be computed: $\alpha = \alpha^*(H^-) / (e)(H) = \alpha^* K(T)$. Here $K(T)$ denotes the constant of the equilibrium $H^- \rightleftharpoons H + e; \Delta E = 0,747$ eV - the ionization energy of H^- , m - the mass of the electron; $\Theta = T^{\circ}K/1000$; $h = 1,05 \cdot 10^{-27}$ erg./sec. The quantity α^* can be derived from the data of a previous work by means of a method discussed by the author. By means of this method $\alpha^* = \sigma_0 v_r (4/\sqrt{\pi}) \int_0^\infty e^{-x/c} - c^2 c^3 dc$. is obtained.

Card 1/3

PA - 3139

On the Probability of the Capture of Electrons by Neutral Atoms in
the Case of Triple Collision.

Here $\sigma_0 = \sigma/e^{-\Delta E_a/2\pi\hbar v}$, a and v denote the effective measurements and
relative velocity of the colliding particles respectively; $v_T =$
 $(2kT/\mu)^{1/2}$; $\mu = (2/3)m_H$, - the reduced mass of H^- and H_2 ; $c = v/v_r$;

$\chi = 5,7 \cdot 10^6/v_T$. At $\chi \gg 1$ the integral in the formula mentioned above
can easily be computed by means of the saddle value method. The func-
tion $(\chi/c) + c^2$ may be developed in a series $3(\chi/2)^{2/3} + 6(c-c_m)^2 + \dots$,
and therefore the final expression is obtained for $\alpha^* = \sigma v_T (1/\sqrt[3]{3})$.

$$\chi e^{3(\chi/2)^{2/3}} = 5,50 \cdot 10^{-10} e^{9,6/\Theta^{1/3}} ; \alpha = 1,8 \cdot 10^{-30} \Theta^{3/2} e^{-9,6/\Theta^{1/3} + 8,7/0}$$

cm⁶/sec. The values of α corresponding to the various values of Θ are
shown together in a table. The values of α mentioned here give an
approximated idea about the order of magnituds of the capture coeffi-
cient of electrons by various atoms under participation of a third
particle. (1 table).

Card 2/3

PA - 3139

On the Probability of the Capture of Electrons by Neutral Atoms in
the Case of Triple Collision.

ASSOCIATION: Chemical-Physical Institute of the Academy of Science of the U.S.S.R.
PRESENTED BY: Member of the Academy Kondrat'yev, V.N.
SUBMITTED: 22.11.1956
AVAILABLE: Library of Congress

Card 3/3

AUTHORS:

Sayasov, Yu. S. Sinitsyna, Yu.V.

57-28-6-25/34

TITLE:

On the Theory of Concave Waveguides (K teorii vognutych
volnovodov)

PERIODICAL:

Zhurnal Tekhnicheskoy Fiziki, 1958, Vol. 28, Nr 6,
pp. 1293 - 1300 (USSR)

ABSTRACT:

In the present paper the propagation of waves of the TE type in a waveguide, the cross section of which is bounded by the ellipse and by co-focal hyperbolae (figure 1) is investigated for the case of short gaps between the points of the hyperbola. Formulae for the membrane function and corresponding eigenvalues were found. For the basic wave of the type TE_{00} the dying-down coefficient γ_0 was calculated as well. It was found that γ_0 as the trigonometric function of the solution attains a minimum at $2\theta_0 \approx 90^\circ$ between the asymptotes of the hyperbola $2\theta_0$. The final formula for γ_0 which corresponds to the optimal values of the parameters $\frac{k}{a}$ and η_0 , is:

Card 1/4

On the Theory of Concave Waveguides

57-28-6-25/34

$$\gamma_0 = 2 \sqrt{\frac{\omega k}{\sigma}} \frac{1}{a} \left(\frac{\delta_0}{\ln 2 \delta_0} \right)^{1/2}$$

The results of the calculations given make it possible to draw interesting mathematical conclusions. The cross section of the waveguide (figure 1) may be considered to be the deformation of a circle with cut-out sectors which are enclosed by two straight lines passing through the center. The relative elongation of the surface δ on which the membrane function U was determined is slight and is of the order $\delta \sim (\frac{\delta_0}{a})^2$. Nevertheless this deformation is of a special character because it leads to a modification of the coherence of the domain. Therefore, the disturbances to which the eigenvalues and eigenfunctions U of the equation $\Delta U + \alpha^2 U = 0$ are subjected on this occasion turn out to be of a much more complex nature than in the case of ordinary regular deformations of the boundaries of a domain, which lead to the transformation of α and U into quantities of the order δ . As may be seen from the calculations carried out when investigating the change of coherence of the

Card 2/4

On the Theory of Concave Waveguides

57-28-6-25/34

domain, a whole spectrum of eigenfunctions and eigenvalues $u^{(2)}$ and $\alpha^{(2)}$ occurs in the first line, which does not exist in the limiting case of the circular domain (at $\delta = 0$). On the other hand, the eigenfunctions

$U^{(1)}$ and the eigenvalues $\alpha^{(1)}$ in which transition to the circular domain takes place, are excited on the occasion of the latter's deformation into quantities of the order $\delta \ln^2 \delta$ and $\delta \ln \delta$ (formulae (12) and (13)). It is very instructive to compare these conclusions with the results obtained by analogous calculations of the disturbed coherence of the three-dimensional domain (Reference 4). In conclusion it must be pointed out that it is possible, by means of the described methods, to find also the functions U , which correspond to the fields of the type $TE_{ln}(1 \gg 1)$. In this case, however,

the results obtained are very voluminous and are therefore not given here. There are 2 figures and 6 references, 5 of which are Soviet.

Card 3/4

On the Theory of Concave Waveguide

57-28-6-25/34

ASSOCIATION: Moskovskiy gosudarstvennyy universitet im. M. V. Lomonosova
(Moscow State University imeni M. V. Lomonosov)

SUBMITTED: August 14, 1957

- 1. Waveguides—Theory
- 2. Waves—Propagation
- 3. Mathematics

Card 4/4

5(4), 24(3)

AUTHOR: Sayasov, Yu. S.

SOV/2o-122-5-28/56

TITLE: On the Equilibrium Ionization Caused by Dust Particles
(O ravnovesnoy ionizatsii, sozdavayemoy chastitsami
pyli)

PERIODICAL: Doklady Akademii nauk SSSR, 1958, Vol 122, Nr 5,
pp 848 - 851 (USSR)

ABSTRACT: The present paper furnishes a mathematically complete
solution of the problem mentioned in the title by means
of the thoroughly investigated θ - functions, with
which it is possible to express the equilibrium
distribution of the electrons in a closed form. The
formula thus obtained contains as limiting cases the
formula by Sakh (which applies to sufficiently
low temperatures) as well as a simple asymptotic
expression (Refs 1,2) for sufficiently high temperatures.
Besides, it is possible, by means of the formulae found
here, to investigate the range of medium temperatures.
The particles are at first assumed to be identical,
and the conditions for the quasineutrality of the

Card 1/3

On the Equilibrium Ionization Caused by Dust Particles SOV/2o-122-5-28/56

system and for the conservation of the total number of particles are given:

$$n_e = \sum_{m=1}^{\infty} m n_m^+ - \sum_{m=1}^{\infty} m n_m^- , \quad n = n_0 + \sum_{m=1}^{\infty} n_m^+ + \sum_{m=1}^{\infty} n_m^- .$$

Here n denotes the concentration of particles, n^- - the concentration of electrons, n^+ - the concentration of particles with the positive charge $+me$ (e_0 - the charge of the electron, $M = 1, 2, \dots$); n_m^- - the concentration of particles with the negative charge $-mc$, n_0 - the concentration of the neutral

particles. The ratio n_e/n can, after some elementary transformations, be expressed by the elliptic Θ -functions. The author then investigates several limiting cases. The formulae found here can easily be generalized for such cases in which the system contains dust particles of various kinds. There are 1 figure and 5 references, 4 of which are Soviet.

PRESENTED: June 4, 1958, by V.N.Kondrat'yev, Academician
Card 2/3

SAYASOV, Yu.S.

Characteristics of radiation from an ideally conducting sphere located in an inhomogeneous medium. Zhur.tekh.fiz. 29 no.12: 1486-1489 D 59. (MIRA 14:6)

1. Institut khimicheskoy fiziki, Moskva.
(Antennas (Electronics))

SAYASOV, Yu. S. (USSR)

"Theory of Molecular Dissociation by Neutrons".

paper submitted for the Symposium on the Chemical Effects of Nuclear Transformation
(IAEA) Prague, 24-27 Oct. 1960.

24.6730

35834
S/044/62/000/002/022/092
C111/C533

AUTHORS: Mel'nikov, V. K., Sayasov, Yu. S.

TITLE: The determination of the stability domain for an equation of second order with slow time

PERIODICAL: Referativnyj zhurnal, Matematika, no. 2, 1962, 46, abstract 28209. ("Tr. Vses. soveshchaniya po different-sial'n. uravneniyam, 1958", Yerevan, AN Arm SSR, 1960, 131-132)

TEXT: Considered is the equation

$$\frac{d}{dt} (m(\xi t) \dot{x}) + \xi f(\xi t, x, \dot{x}) \dot{x} + k(\xi t) p'(x) = 0$$

which occurs in the theory of the accelerators of charged particles; ξ -- small parameter, $m(\xi t) \neq 0$, $k(\xi t) \neq 0$. The authors investigate the positions of equilibrium of saddle type (such, where $p''(x) < 0$) and of focus type (where $p''(x) > 0$), as well as stability domains of these positions in the (x, \dot{x}) -plane. Under certain assumptions the solution approximating the position of equilibrium of saddle type for $t \rightarrow \infty$, is expanded into a series in powers of ξ . Proofs are not given. ✓

[Abstracter's note: Complete translation.]

Card 1/1

SAYASOV, Yu.S., MEL'NIKOV, V.K.

Theory of the capture of particles into the synchronous accelerating regime allowing for the nonconservation of the equation of motion. Zhur. tekhn. fiz. 30 no.6:656-664 Je '60.
(MIRA 13:8)

1. Institut khimicheskoy fiziki AN SSSR, Moskva.
(Particles (Nuclear)--Capture)

SAYASOV, YU. S. and MELNIKOV, V. K.

"The theory of particle capture into synchrotron acceleration regime
with account of non-conservation of motion equations."

Paper presented at the Intl. Symposium on Nonlinear Vibrations, Kiev, USSR,
9-19 Sep 61

Institute of Chemical Physics of the USSR Academy of Sciences, USSR

31633

S/207/61/000/006/023/025

A001/A101

11.7430

AUTHOR: Sayasov, Yu.S. (Moscow)

TITLE: On the structure of skew shock waves in a chemically reacting gas

PERIODICAL: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 6, 1961,
172 - 174

TEXT: The author writes down the equation of conservation, state and kinetic equations which describe the flow of a chemically reacting non-viscous gas beyond a shock wave. Assumptions are made that the shock wave front is plane and lines of the current beyond the discontinuity are rectilinear. If temperature T beyond the front is not very high and the case of shock waves in air is considered, the system of equations is reduced to one equation which looks in the main phase of dissociation process (neglecting the reversal reaction) as follows:

$$\frac{d\alpha}{dt} = - k_0 n \alpha \exp \left(- \frac{T_0}{T} \right) \quad \left(n = \frac{p}{kT} \right) \quad (16)$$

where α is concentration of O_2 , t is time of the motion of a gas particle along

Card 1/2

31633
S/207/61/000/006/023/025
A001/A101

On the structure of skew shock waves ...

the line of the flow, p is pressure, $k_0 \approx T^{-2}$, the approximate solution of this equation is given. The author thanks E.I. Andriankin, G.I. Barenblatt and Yu.P. Rayzer for the discussion of the results of the present study. There is one Soviet-bloc reference.

SUBMITTED: August 2, 1961

Card 2/2

9.9300

20917

S/057/61/031/003/001/019
B125/B202

BPF

AUTHOR: Sayasov, Yu. S.

TITLE: Scattering of electromagnetic waves from an ideally conducting sphere in an inhomogeneous medium

PERIODICAL: Zhurnal tekhnicheskoy fiziki, v. 31, no. 3, 1961, 261-270

TEXT: The author studies the scattering mentioned in the title as well as the characteristic properties of radiation of this system for the case that the primary antenna is an electric or magnetic dipole on the surface of the sphere. In this case the inhomogeneous sphere is assumed to be in an inhomogeneous medium with a dielectric constant $\epsilon = \epsilon' + i\epsilon''$ depending exclusively on the radius. Besides, the author also assumed that $\epsilon \rightarrow 1$ with $r \rightarrow \infty$. μ is assumed to be constantly equal to 1, the time dependence of the field is assumed to be characterized by $e^{-i\omega t}$. The Maxwell equations then hold in the space around the sphere: $\text{curl } H = -ik\omega E$, $\text{curl } E = ikH$ (1).

Card 1/10

20917

S/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

The general solution of these equations can be written in the form

$$\left. \begin{aligned} E_r &= \frac{1}{r \sin \theta} \frac{\partial U}{\partial r \partial \varphi} - \frac{ik}{r} \frac{\partial V}{\partial \theta}, \\ H_r &= \frac{\partial V}{\partial r^2} + k^2 a V, \\ H_t &= -\frac{ik}{r \sin \theta} \frac{\partial U}{\partial \varphi} + \frac{1}{r} \frac{\partial^2 V}{\partial r \partial \theta}, \\ H_\varphi &= \frac{ik}{r} \frac{\partial U}{\partial \theta} + \frac{1}{r \sin \theta} \frac{\partial V}{\partial r \partial \varphi}, \end{aligned} \right\} \quad (2)$$

The scalar functions U , V are defined by

$$e \frac{\partial}{\partial r} \frac{1}{r} \frac{\partial U}{\partial r} + \frac{1}{r^2} L U + k^2 a U = 0, \quad (3)$$

and

$$\frac{\partial V}{\partial r^2} + \frac{1}{r^2} L V + k^2 a V = 0, \quad L = \frac{1}{\sin \theta} \left(\frac{\partial}{\partial \theta} \sin \theta \frac{\partial}{\partial \theta} \right) + \frac{1}{\sin^2 \theta} \frac{\partial^2}{\partial \varphi^2}. \quad (4)$$

The solution of the Maxwell equations is described by the potentials

Card 2/10

20917

S/057/61/031/003/001/019

B125/B202

Scattering of electromagnetic...

$$U = \cos \varphi \frac{\partial P}{\partial \theta}, \quad P = \frac{1}{ik^2} \sum_{n=1}^{\infty} a_n \left[u_n^{(2)}(r) - \frac{u_n^{(3)}(R)}{u_n^{(1)}(R)} u_n^{(1)}(r) \right] P_n(\cos \theta), \quad (5)$$

$$V = -\sin \varphi \frac{\partial Q}{\partial \theta}, \quad Q = \frac{1}{ik^2} \sum_{n=1}^{\infty} a_n \left[v_n^{(2)}(r) - \frac{v_n^{(3)}(R)}{v_n^{(1)}(R)} v_n^{(1)}(r) \right] P_n(\cos \theta), \quad (6)$$

where $u_n^{(1)}$, $u_n^{(2)}(r)$, $v_n^{(1)}(r)$ and $v_n^{(2)}(r)$ are the solutions of the equations

$$\epsilon \frac{d}{dr} \left(\frac{1}{r} \frac{du_n}{dr} \right) + \left(k^2 \epsilon - \frac{n(n+1)}{r^2} \right) u_n = 0, \quad (7)$$

$$\frac{d^2 v_n}{dr^2} + \left(k^2 \epsilon - \frac{n(n+1)}{r^2} \right) v_n = 0, \quad (8)$$

The scattered field \vec{E}^s , \vec{H}^s is obtained if the terms containing $u_n^{(2)}(r)$ and $v_n^{(2)}$ are eliminated from the formulas (5), (6) and the functions $u_n^{(1)}(r)$, $v_n^{(1)}(r)$ are replaced by their asymptotic expression $e^{i(kr - \frac{n+1}{2}\pi)}$.

Card 3/0

20917
s/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

$$E_i^z = H_i^z = \frac{e^{ikr}}{kr} V_i^z(\theta) \sin \varphi; \quad (9)$$

$$E_\varphi^z = -H_\varphi^z = \frac{e^{ikr}}{kr} V_i^z(\theta) \cos \varphi, \quad (10)$$

with

$$V_i^z = \frac{\partial^2 P^z}{\partial \theta^2} - \frac{1}{\sin \theta} \frac{\partial Q^z}{\partial \theta}, \quad V_z^z = \frac{\partial^2 Q^z}{\partial \theta^2} - \frac{1}{\sin \theta} \frac{\partial P^z}{\partial \theta},$$

$$P^z = i \sum_{n=1}^{\infty} a_n \frac{u_n^{(W)}(R)}{u_n^{(V)}(R)} P_n(\cos \theta); \quad (11)$$

$$Q^z = i \sum_{n=1}^{\infty} a_n \frac{u_n^{(S)}(R)}{u_n^{(V)}(R)} P_n(\cos \theta). \quad (12)$$

Card 4/10

20917

S/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

$$H_r(R) = E_\theta(R) = E_\varphi(R) = 0, \quad E_r(R) = V_r(\theta) \cos \varphi,$$

$$H_\theta(R) = V_\theta(\theta) \sin \varphi, \quad H_\varphi(R) = V_\varphi(\theta) \cos \varphi,$$

$$V_r(\theta) = \frac{1}{\alpha^2} \frac{\partial}{\partial \theta} \sum_{n=1}^{\infty} (2n+1)(-i)^n \frac{1}{u_n^{(1)y}(R)} P_n(\cos \theta); \quad (13)$$

$$V_\theta(\theta) = \frac{1}{\alpha} \left[\frac{i\epsilon_1}{\sin \theta} \frac{\partial}{\partial \theta} \sum_{n=1}^{\infty} a_n \frac{1}{u_n^{(1)y}(R)} P_n(\cos \theta) + \right. \\ \left. + \frac{\partial^2}{\partial \theta^2} \sum_{n=1}^{\infty} a_n \frac{1}{u_n^{(1)y}(R)} P_n(\cos \theta) \right]; \quad (14)$$

$$V_\varphi(\theta) = \frac{1}{\alpha} \left[i\epsilon_1 \frac{\partial^2}{\partial \theta^2} \sum_{n=1}^{\infty} a_n \frac{1}{u_n^{(1)y}(R)} P_n(\cos \theta) + \right. \\ \left. + \frac{1}{\sin \theta} \frac{\partial}{\partial \theta} \sum_{n=1}^{\infty} a_n \frac{1}{u_n^{(1)y}(R)} P_n(\cos \theta) \right]. \quad (15)$$

Card 5/10

20917

S/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

are obtained for the field strength on the surface of the sphere. The primes in these three formulas denote the derivation with respect to the variables kr and $\alpha = kR$. In chapter 1 the author deals with the scattered field. He defines the differential scattering cross section $d\sigma_s$ as the ratio between the energy flux $r^2 d\Omega = r^2 \sin\theta d\theta d\psi$, $\frac{c}{8\pi} \operatorname{Re}(E_s^s H_s^{s*} - E_p^s H_p^{s*}) r^2 d\Omega$ scattered through the solid angle and the energy flux per unit area in the incident wave $c/8\pi$. With (9), (10) the following expression is obtained:

$d\sigma_s = \frac{1}{k^2} \left\{ |v_1^s(\theta)|^2 \sin^2\psi + |v_2^s(\theta)|^2 \cos^2\psi \right\} d\Omega$. The author first studies the limiting case of sufficiently long waves λ , which satisfy the condition $\lambda \gg r/\epsilon$ in the domain $R < r < R_1$, where R_1 is the effective radius of the inhomogeneous medium beginning with which ϵ approaches 1. If this condition is fulfilled the scattering of the incident wave has Rayleigh character. The quantities $\omega'(R)$ can be determined by an approximation method. The same also holds for the functions $v_n(r)$. Thus,

$$d\sigma = \alpha^4 R^2 \left(\left| \gamma \cos\theta + \frac{1}{2} \right|^2 \sin^2\psi + \left| \gamma + \frac{1}{2} \cos\theta \right|^2 \cos^2\psi \right) d\Omega, \quad (19)$$

Card 6/10

20917

S/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

is obtained where $\gamma = -y_1^{(2)'}(1)/y_2^{(1)'}(1)$. (19) and

$$\gamma = \frac{\epsilon_0 - 1 + (2\epsilon_0 + 1)r_1^{-3}}{\epsilon_0 + 2 + 2(\epsilon_0 - 1)r_1^{-3}} r_1^3 \quad (20)$$

are especially suited for studying the

scattering of light from cosmic dust particles and from inhomogeneously distributed aerosols. With sufficiently short waves

$$\frac{\lambda}{2\pi} \frac{\sqrt{(n')^2 + (\chi')^2}}{R(n^2 + \chi^2)} \ll 1 \quad (21) \quad (n = \text{Re}\sqrt{\epsilon}, \chi = \text{Im}\sqrt{\epsilon})$$

holds (the prime denotes

the derivation with respect to r) and the Eqs. (7), (8) can be solved by the Wentzel-Brillouin-Kramers approximation. The author studies the rules only for the angular region $0 \leq \theta < \theta_1$, which corresponds to rays reflected from the illuminated region. Thus, the following expression is obtained for the differential scattering cross section

$$d\sigma_s = \frac{4}{k^2 \sin \theta} \left| v_{od\theta} \right| e^{-2\text{Im}S(v_o)} d\Omega \quad (22)$$

with

Card 7/10

S/057/61/031/003/001/019

B125/B202

Scattering of electromagnetic...

$S(y_0) = v_0 \theta + 2\alpha \int_1^\infty \left(\sqrt{\epsilon - \frac{v_0^2}{\alpha r^2}} - 1 \right) dr$ and for the total scattering cross

section $\sigma_s \approx 2\pi R^2 \int_1^\infty \frac{e^{-4q}}{|\beta|^2} e^{-\theta^2/2\epsilon_0} \alpha d\theta = 2\pi R^2 \frac{e^{-4q}}{p}$ (24). (22) is similar

to the known expression of classical mechanics for the scattering cross section of particles in a central-symmetric field. Chapter two deals with the field on the surface of a sphere. With sufficiently long waves the non-zero components of the field strength on the surface of the sphere

read as follows: $E_r(R) = V_r(0) \cos \varphi, \quad V_r(0) = \frac{3}{y_1^{(1)}} \sin \theta$ (25)

(in the case of a homogeneous layer $y_i^{(1)}(1) = \frac{1}{3} [\epsilon_0 + 2 + 2(\epsilon_0 - 1)r_1^{-3}]$)

$$H_\theta(R) = V_\theta(0) \sin \varphi, \quad V_\theta(0) = \frac{3}{2} i \cos \theta; \quad (26)$$

$$H_\varphi(R) = V_\varphi \cos \varphi, \quad V_\varphi = \frac{3}{2} i. \quad (27)$$

Card 8/10

20917

S/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

with sufficiently short waves the following equations hold:

$$V_r(0) = \frac{2}{\alpha^2} \epsilon_1^{-\frac{1}{2}} \left(\epsilon_1 - \frac{v_0^2}{\alpha^2} \right)^{-\frac{1}{4}} \frac{e^{-i\frac{\pi}{4}}}{\sqrt{\sin \theta}} \sqrt{v_0 \frac{dv_0}{d\theta}} e^{is(v_0)}; \quad (28)$$

$$V_\theta(0) = \frac{2}{\alpha} \epsilon_1' \left(\epsilon_1 - \frac{v_0^2}{\alpha^2} \right)^{-\frac{1}{4}} \frac{e^{-i\frac{\pi}{4}}}{\sqrt{\sin \theta}} \sqrt{v_0 \frac{dv_0}{d\theta}} e^{is(v_0)}; \quad (29)$$

$$V_\phi(0) = \frac{2}{\alpha} \left(\epsilon_1 - \frac{v_0^2}{\alpha^2} \right)^{\frac{1}{2}} \frac{e^{-i\frac{\pi}{4}}}{\sqrt{\sin \theta}} \sqrt{v_0 \frac{dv_0}{d\theta}} e^{is(v_0)}, \quad (30)$$

RAE

$$S(v_0) = v_0 \theta + \alpha \int_1^\infty \left(\sqrt{\epsilon - \frac{v_0^2}{\alpha^2 r^2}} - 1 \right) dr.$$

The energy flux produced by the dipole 1 per unit of the solid angle with $r \rightarrow \infty$ is $\frac{c}{4\pi} \cos^2 \psi |E_r(R)|^2 r^2 d\Omega$. With sufficiently long waves

Card 9/10

20917

S/057/61/031/003/001/019
B125/B202

Scattering of electromagnetic...

$$dS' = \frac{27 \cos^2 \psi}{8\pi |y_1^{(1)}(1)|^6} \sin^2 \theta d\Omega, \quad (33)$$

$$dS'' = \frac{27 \sin^2 \psi}{92\pi} (1 - \sin^2 \theta \cos^2 \varphi) d\Omega; \quad (34)$$

and with sufficiently short waves and small angles

$$dS' = \frac{3}{2\pi} \cos^2 \psi |\epsilon_1|^{-7/2} \frac{\sigma^{-2\eta}}{|\beta|^4} \theta^2 e^{-\beta^2/\theta^2} d\Omega, \quad (35)$$

$$dS'' = \frac{3}{\pi} \sin^2 \psi |\epsilon_1|^{1/2} \frac{\sigma^{-2\eta}}{|\beta|^3} e^{-\beta^2/\theta^2} d\Omega. \quad (36)$$

are obtained for the characteristic radiation properties. There are 1 figure and 9 references: 8 Soviet-bloc and 1 non-Soviet-bloc.

ASSOCIATION: Institut khimicheskoy fiziki Moskva (Institute of Chemical Physics, Moscow)

SUBMITTED: November 13, 1959

Card 10/10

25023
S/057/61/031/007/003/021
B108/3209

26.2321

AUTHORS: Andriankin, E. I. and Sayasov, Yu. S.

TITLE: Effect of an external magnetic field upon the boundary layer of a plasma

PERIODICAL: Zhurnal tekhnicheskoy fiziki, v. 31, no. 7, 1961, 775-780

TEXT: The authors studied the effect of an external magnetic field upon the laminar boundary layer in a plasma, forming when a supersonic gas flow passes by a body. The presence of a magnetic field perpendicular to the gas flow changes the velocity profile in the narrow zone of the boundary layer and thus reduces friction between the flow and a body in it, provided the temperature difference between body and gas is sufficiently high. When the temperature difference is small, so that the gas may be assumed to be incompressible, and when a pressure gradient exists along the flow, the hydrodynamic equations of the laminar boundary layer may be written in the form

Card 1/6

S/057/61/031/007/003/021

B108/B209

Effect of an external magnetic field ...

$$\left. \begin{aligned} v_x \frac{\partial v_x}{\partial x} + v_y \frac{\partial v_x}{\partial y} &= -\frac{\partial h}{\partial x} + \nu \frac{\partial^2 v_x}{\partial y^2} - \frac{H^2 \alpha v_x}{\rho c^2}, \\ \frac{\partial h}{\partial y} &= 0, \quad \frac{\partial v_x}{\partial x} + \frac{\partial v_y}{\partial y} = 0, \\ c_p \left(v_x \frac{\partial T}{\partial x} + v_y \frac{\partial T}{\partial y} \right) &= \frac{\partial}{\partial y} \times \frac{\partial T}{\partial y} + \nu \left(\frac{\partial v_x}{\partial y} \right)^2 - v_x \frac{\partial h}{\partial x} + \frac{H^2 \alpha v_x}{\rho c^2}. \end{aligned} \right\} \quad (1)$$

where ν is the dynamic viscosity, α - the thermal conductivity coefficient, c_p - specific heat at constant pressure. This system is transcribed into the form

$$\left. \begin{aligned} v_x \frac{\partial v_x}{\partial x} + v_y \frac{\partial v_x}{\partial y} &= -\frac{\partial h}{\partial x} + \nu \frac{\partial^2 v_x}{\partial y^2} - \frac{H^2 \alpha v_x}{\rho c^2}, \\ \frac{\partial v_x}{\partial x} + \frac{\partial v_y}{\partial y} &= 0, \\ v_x \frac{\partial \theta}{\partial x} + v_y \frac{\partial \theta}{\partial y} &= \frac{1}{Pr} \nu \frac{\partial^2 \theta}{\partial y^2} + \frac{\nu}{c_p} \left(1 - \frac{1}{Pr} \right) \frac{\partial}{\partial y} \psi \frac{\partial v_x}{\partial y}. \end{aligned} \right\} \quad (2)$$

where $\theta = \frac{1}{2} v_x^2 + c_p T$ and $Pr = \frac{\nu}{\alpha}$, considering that h is a function of x only.

Since the examination of the system (2) in the general case is very

Card 2/6

25023
 S/057/61/031/007/003/021
 B108/B209

Effect of an external magnetic field ...

difficult, the authors discuss two model cases. In the first case, H is assumed to obey the law $H=H_0\sqrt{\frac{1}{x}}$, where l is a characteristic length. The velocity v_x in the stream be constant: $v_x=v_0=\text{const}$. With the new variables

$$v_x = \frac{\partial \psi}{\partial y}, \quad v_y = -\frac{\partial \psi}{\partial x}, \quad \psi = \sqrt{2v_0 x} \varphi, \quad \xi = y \sqrt{\frac{v_0}{2v_x}},$$

the system (2) assumes the form

$$\left. \begin{aligned} \varphi''' + \varphi \varphi'' &= \beta_1 [\varphi f(T) - 1], \\ \vartheta'' + \varphi \vartheta' &= \gamma (\varphi')^2, \\ \vartheta &= \frac{\theta}{c_p T_0} = \frac{T}{T_0} + \frac{v_0^2}{2c_p T_0} (\varphi')^2, \\ \gamma &= 1 - \frac{1}{Pr}, \quad \beta_1 = \frac{2H_0^2 l \sigma_0}{\rho c^2}. \end{aligned} \right\} \quad (3).$$

Card 3/6

25023

S/057/61/031/007/003/021

B108/B209

Effect of an external magnetic field ...

The conductivity σ is given in the form $\sigma = \sigma_0 f(T)$ where $f(T_0) = 1$. The primes indicate the derivatives with respect to φ . With the boundary conditions for φ and v and assuming thermal insulation on the surface, the system (3) has the plain integral $v = v_0$. With the function $f(T(\varphi')) = F(\varphi')$ and the new variables $(\varphi')^2 = z$ and φ , the system (3) leads to one equation:

$$\sqrt{z} \frac{dz}{d\varphi^2} + \varphi \frac{dz}{d\varphi} = \beta [\sqrt{z} F(z) - 1], \quad (5)$$

$z(0) = 0, z(\infty) = 1, \beta = 2\beta_1$

The friction on the body, $\tau = \nu \left. \frac{\partial v}{\partial y} \right|_{y=0}$, may be expressed by $z(\varphi)$:

$$\tau = \nu v_0 \sqrt{\frac{v_0}{x}} \eta(\beta), \eta(\beta) = \left. \frac{dx}{d\varphi} \right|_{\varphi=0}. \quad (5a)$$

Card 4/6

25023

S/057/61/031/007/003/021

B108/B209

Effect of an external magnetic field ...

The resulting function $\eta(\beta)$ may be represented as an asymptotic expansion:

$$\eta = \sqrt{2w(0)\beta} \left(1 + \sum_{k=1}^{\infty} \frac{1}{\beta^k} \psi_k(0) \right). \quad (9)$$

The second example is a gas stream of constant conductivity passing through a diffuser which consists of two intersecting planes. The magnetic field is generated by a current along the line of intersection of the planes, i. e. it is purely circular and perpendicular to the stream, and obeys the law $H = H_0 \frac{x}{x_0}$. For this case, one obtains

$$\tau = \rho \sqrt{\frac{4\alpha a^3}{3x^4} \left(1 + \frac{3}{4} \frac{H_0^2 I^2 a}{\rho c^2 a} \right)}. \quad (12)$$

$v_x = -\frac{\alpha}{x}$. The results show that at sufficiently high magnetic field strengths H , friction rises with H . There are 2 figures, and 4 references: 2 Soviet-bloc and 2 non-Soviet-bloc.

Card 5/6

20459

S/056/61/040/002/022/047
B102/B201

26.2241
21.6000 (1043, 1565)
AUTHORS: Sayasov, Yu. S., Ivanov, G. K.

TITLE: Theory of the dissociation of molecules by neutrons.
I. Diatomic molecules

PERIODICAL: Zhurnal eksperimental'noy i teoreticheskoy fiziki,
v. 40, no. 2, 1961, 513-523

TEXT: In a collision between neutron and bound molecule, sufficient energy can be transferred to break the bond, i.e., to lead to a dissociation. This process, which has not been studied so far, is of great interest from the viewpoint of radiation chemistry, biology, and the slowing down of neutrons. A knowledge of the dissociation probability of molecules by neutrons is also important for the method of molecular neutronoscopy proposed by V. I. Gol'danskiy (Ref. 1: ZhETF, 31, 717, 1956). The authors developed a theory of the dissociation of diatomic molecules by neutrons based on the method of the Fermi pseudopotential. The neutron is presupposed to have an energy E of the

Card 1/11

20459

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

order of the dissociation energy of the molecule (viz., $E \sim 10$ ev);
a wavelength of $\lambda_n \sim 10^{-9}$ cm corresponds to these energies;
inequalities $\lambda_n \gg A$ and $a \gg A$ must hold between λ_n , the radius of
nuclear forces $A \sim 10^{-13}$ cm and the vibration amplitude of the nuclei
in the molecule $a \sim 10^{-9}$ cm, for the method of the Fermi pseudopotential
to be applicable. The molecule is further assumed to remain in the

ground state during decomposition. $V = 2\pi e^2 \sum_i \frac{1}{\mu_i} A_i \delta(\vec{r}_n - \vec{r}_i)$ is
applied as interaction ansatz, where $\mu_i = m_i m / (m_i + m)$; here m denotes
the neutron mass and m_i that of the i -th nucleus in the molecule,
 $A_i = a_i + b_i(\vec{s})$, the scattering amplitude of the neutron (spin \vec{s}) at
the free nucleus (spin \vec{i}), b_i is the eigenvalue of the operator $\vec{i} \cdot \vec{s}$;

Card 2/11

20459

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

the relation $d\sigma = \frac{k'}{k} |W|^2 d\Omega_1 \dots d\Omega_n$ do is set for the dissociation cross section in first Born's approximation with respect to V - according to general perturbation-theoretical formulas for the transition probability from one state of the discrete spectrum to the continuous one. In this relation, do denotes an element of the solid angle, into which the neutron is scattered, k' and k are the wave numbers of the neutron prior to and after collision, $\vec{\omega}_1 \dots \vec{\omega}_n$ are the wave vectors of the dissociation products. $W = \frac{\mu}{2\pi\lambda} \int e^{i(\vec{k}-\vec{k}')\vec{r}} \psi_0^* \psi_n dr d\Omega_1 \dots d\Omega_n$, where ψ_0 denotes the wave function of the initial state of the molecule, ψ_n is the wave function of the end state of the molecule; dr denotes integration over all molecular coordinates. Since it is assumed (in adiabatic approximation) for the electron state of the molecule to remain unchanged, the electron wave functions are excluded, and ψ_0 and ψ_n are regarded as wave functions of the relative motion of the nuclei. If

Card 3/11

20459

S/056/61/040/002/022/047
B102/B201

3

Theory of the dissociation of ...

the electron state in the molecule is equal to \sum , the wave function of the relative motion of the nuclei will coincide in adiabatic approximation with that of the relative motion of two particles interacting in a central-symmetrical manner. Formula

$$\psi_x = \frac{1}{4\pi\kappa r} \sum_{l=0}^{\infty} l' (2l+1) e^{-\kappa r} \chi_{x'l}(r) P_l \left(\frac{\kappa r}{\kappa r} \right), \quad (3)$$

holds, where $\chi_{x'l}$ denotes the wave function of equation

$$\frac{d^2 \chi_{x'l}}{dr^2} + \left(\kappa^2 - \frac{2\mu_m U}{\hbar^2} - \frac{l(l+1)}{r^2} \right) \chi_{x'l} = 0, \quad (4),$$

U is the molecule potential, μ_m is the reduced mass of the molecule.

The initial state of the molecule (vibration number n , rotation number K) is given by $\psi_0 = \frac{1}{r} \left(\frac{2}{\pi} \right)^{1/4} a^{-1/2} e^{-\frac{r^2}{a^2}} H_n(\xi) Y_{KM}(\theta, \varphi)$, where

Card 4/11

20459

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

$\xi = (r - r_0)/a$, r_0 is the minimum point of U , $a = \sqrt{2\hbar/\mu_m \omega}$ the vibration amplitude of the nuclei in the molecule, $H_n(\xi)$ the Hermitian function, M_K the projection of the torque of the molecule onto the molecule axis, θ, ϕ denote the orientation of the molecule in the c.m.s. of neutron and molecule. Thus, from

$$d\sigma = \frac{k'}{k} \frac{1}{2K+1} \sum_{M_K=-K}^K |W_{M_K}|^2 d\theta d\phi, \quad (6)$$

$$W_{M_K} = \frac{\mu}{2\pi\hbar^2} \int e^{i(k-k')r_n} \psi_0 V \psi_n^- dr_n dr, \quad (7)$$

$$V = 2\pi\hbar^2 \left(\frac{A_1}{\mu_1} \delta(r_n - r_1) + \frac{A_2}{\mu_2} \delta(r_n - r_2) \right).$$

one obtains for the dissociation cross section

Card 5/11

20459

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

$$d\sigma_{nK} = \sqrt{\frac{\pi}{2}} \frac{k'}{k} \frac{1}{a} \left[\sum_{l=0}^{\infty} (2l+1) \sum_{L=|l-K|}^{l+K} (C_{l0K0}^{L0})^2 F_{lL} \right] dx do, \quad (9)$$

$$F_{lL} = \overline{A_1^2} \frac{1}{g_1^2} \left(\frac{\mu_1}{\mu_1} \right)^2 J_{g_1}^2 + \overline{A_2^2} \frac{1}{g_2^2} \left(\frac{\mu_2}{\mu_2} \right)^2 J_{g_2}^2 + (-1)^L \overline{A_1 A_2} \frac{\mu_1}{\mu_1 \mu_2} J_{g_1} J_{g_2} \frac{1}{g_1 g_2},$$

$$J_g = \int_0^\infty \frac{1}{r} e^{-\xi r} H_n(\xi) \chi_{\nu l}(r) \psi_{L+\nu_L}(gr) dr,$$

$$\psi_{L+\nu_L}(x) = \sqrt{x} J_{L+\nu_L}(x), \quad g = g_{1,2} = \frac{m_{2,1}}{m_1 + m_2} |k - k'|, \quad (10),$$

where C_{l0K0}^{L0} denotes the Clebsch-Gordan coefficients. If the molecule consists of different atoms, $A_{1,2}^2 = a_{1,2}^2 + \frac{1}{4} i_{1,2} (i_{1,2} + 1) b_{1,2}^2$; $A_1 A_2 = a_1 a_2$, where $i_{1,2}$ denotes the nuclear spins. If it consists of

Card 6/11

S/056/61/040/002/022/047
3102/B201

Theory of the dissociation of ...

equal atoms, $\overline{A_{1,2}^2} = a^2 + \frac{1}{4} i(i+1)b^2$, $\overline{A_1 A_2} = a^2 + \frac{3}{8} b^2 [2i(i+1) - I(I+1)]$, where I denotes the total spin of the system of the two nuclei. In the case of quasiclassical conditions (the wavelengths $(\lambda_n \sim 10^{-9}$ cm) corresponding to the neutron energies are small compared with molecular sizes) one obtains

$$d\sigma = \frac{1}{2\sqrt{2\pi}} \frac{k'}{k} a \frac{1}{x'} \frac{\mu^2}{\mu_1^2} E(-\rho^2) dx do \quad (18), \text{ and therefrom, if } \rho^2 > 1: \quad (19),$$

and if $\rho^2 < 1$: (20),

$$d\sigma = \frac{1}{2\sqrt{2\pi}} \frac{k'}{k} a \left(\frac{\mu}{\mu_1}\right)^2 \overline{A_1^2} \frac{1}{x'} \frac{e^{-\rho^2}}{\rho^2} dx do, \quad (19)$$

$$d\sigma = \frac{1}{2\sqrt{2\pi}} \frac{k'}{k} a \left(\frac{\mu}{\mu_1}\right)^2 \overline{A_1^2} \frac{1}{x'} \ln(\gamma/\rho^2) dx do \quad (20)$$

Card 7/11

35

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

where γ denotes Euler's constant. By integrating (18) with respect to θ and x , one obtains the total cross section $\sigma = \pi A_1^2 \frac{\mu \mu_m}{2} \frac{E-D}{E}$, and in

case of an n-p collision in a heavy molecule ($\mu = \mu_m = m$, $\mu_1 = m/2$, $\mu \mu_m / \mu_1^2 = 4$), $\sigma = \sigma_o (E-D)/E$. If $ak' \gg 1$, ϵ can be determined from

$$x' \approx \sqrt{\frac{\mu_m}{\mu} (k^2 - k'^2)} = g_1 = \frac{m_1}{m_1 + m_e} \sqrt{k^2 + k'^2 - 2kk' \cos \theta},$$

$$\cos \theta_0 = [(v+1)p'^2 - (v-1)p^2]/2pp', \quad (24)$$

$$p = k\hbar, \quad p' = k'\hbar, \quad v = m_1(m_1 + m_e + m)/mm_1,$$

If θ is almost equal to θ_0 and $\theta_0 \ll 1$, $v \ll \theta_0$, one obtains from (18):

Card 8/11

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

$$d\sigma = \frac{\sigma_0}{\sqrt{2\pi}} \left(\frac{p'}{p} \right)^2 Ei \left(\frac{-\beta^2}{\beta_0^2} \right) \frac{1}{p_0} dp' d\beta.$$

The threshold-near dissociation cross section is calculated next. If the neutron energy is near the dissociation energy D , and the discrete level ε of the molecule is deep enough for $E - D \ll \varepsilon$, one obtains

$$d\sigma = \frac{1}{\sqrt{2\pi}} \sigma_0 \frac{a}{r_0^2} \frac{\cos^2 \tau k' x^2}{\cos^2 q} dx d\alpha,$$

$$\tau = \int_{r_0}^{\infty} \tilde{x}_0 dr - gr_0.$$

(28)

Card 9/11

35

S/056/61/040/002/022/047
B102/B201

Theory of the dissociation of ...

$$\text{Thus, } \sigma = \frac{1}{2} \left(\frac{\pi}{2} \right)^{3/2} \sigma_0 \frac{a}{\alpha r_0^2} \frac{(E-D)}{D}^2 \frac{\cos^2 \tau}{\cos^2 q}, \quad q = \frac{1}{\lambda} \int_{r_1}^{\infty} \sqrt{-2\mu_m U} dr = \pi \left(n + \frac{1}{2} \right).$$

The total cross section may be also obtained from

$$d\sigma = \frac{1}{V2\pi} \sigma_0 \frac{a}{r_0^2 \alpha} \frac{\cos^2 \tau}{\cos^2 q + \pi^2 k^2 / \alpha^2} \frac{k' k^3}{k^4} dx do. \quad (32).$$

$$\text{In this case, } \sigma = \frac{1}{V2\pi} \sigma_0 \frac{a \alpha}{r_0^2 k^2} \frac{E-D}{D} \cos^2 \tau, \quad k_m^2 = \frac{2\mu_m D}{\lambda^2}.$$

V. I. Gol'danskiy is thanked for having suggested the subject, A. I. Baz', A. S. Kompanejets, and F. L. Shapiro for their discussions. Some mathematical problems are discussed in an appendix. There are 5 references: 3 Soviet-bloc and 2 non-Soviet-bloc.

Card 10/11

Theory of the dissociation of ...

S/056/61/040/002/022/047
B102/B201

ASSOCIATION: Institut khimicheskoy fiziki Akademii nauk SSSR (Institute
of Chemical Physics, Academy of Sciences, USSR)

SUBMITTED: June 26, 1960

Card 11/11

34368

S/207/62/000/001/009/018
B145/B138

10.1410
116-366

AUTHOR: Sayasov, Yu. S. (Moscow)

TITLE: The kinetics of nitrogen oxidation in a direct shock wave

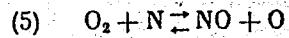
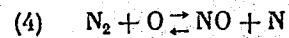
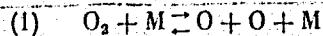
PERIODICAL: Zhurnal prikladnoy mekhaniki i tekhnicheskoy fiziki, no. 1,
1962, 61 - 67

TEXT: The kinetics of N₂ oxidation in a direct shock wave is investigated on the assumption of a quasi-stationary concentration change in the N atoms. The following assumptions are made: 1. The excitation of vibrational freedom exceeds the equilibrium value. 2. The totality of the elementary transformations is described by the scheme of Ya. B. Zel'dovich (Ref. 2: Seldovich J. B. Kinetics of Nitrogen Oxidation, Acts Physicoch. URSS, 1946, vol. 21, no. 2, p. 577) (notations and rate constants from Ref. 1) (Ref. 1: Duff R. Davidson N. Calculation of reaction profiles behind steady state shock waves, J. Chem. Phys., 1959, vol. 31, no. 4, p. 1018).

Card 1/5

S/207/62/000/001/009/018
B145/B138

The kinetics of nitrogen ...



$$k_1 = 10^{-8} \exp(-59/\theta) \text{ cm}^3/\text{ces}, \quad k_1' = 10^{-33} \text{ cm}^3/\text{ces}$$

$$k_4 = 10^{-10} \exp(-38/\theta) \text{ cm}^3/\text{ces}, \quad k_2' = 2 \cdot 10^{-11} \text{ cm}^3/\text{ces}$$

$$k_5 = 2 \cdot 10^{-11} \exp(-3/\theta) \text{ cm}^3/\text{ces}, \quad k_6' = 2 \cdot 10^{-12} \exp(-19/\theta) \text{ cm}^3/\text{ces}$$

On the assumption of constant mean molecular weight $\mu = \rho/n$ (n total number of particles per cm^3), the following system of equations is obtained:

$$\begin{aligned} \frac{d\alpha_0}{dt} &= 2\{1\} + \{5\} - \{4\}, & \frac{d\alpha_{NO}}{dt} &= \{4\} + \{5\}, & \left(t = \int_0^s \frac{ds}{\sigma} \right) \\ \frac{d\alpha_N}{dt} &= \{4\} - \{5\}, & \frac{d\alpha_{O_2}}{dt} &= -\{1\} - \{5\}, & \frac{d\alpha_{N_2}}{dt} &= -\{4\}, \\ \{1\} &= k_1 n \alpha_{O_2} - k_1' n^2 \alpha_{O_2}^2, & \{4\} &= k_4 n \alpha_N \alpha_{O_2} - k_4' n \alpha_{NO} \alpha_N \\ \{5\} &= k_5 n \alpha_{O_2} \alpha_N - k_6' n \alpha_{NO} \alpha_O \end{aligned} \quad (1.1)$$

Card 2/5

S/207/62/000/001/009/018
B145/B138

The kinetics of nitrogen ...

(α_0 , α_N , etc. denote relative concentrations, t time, s coordinate along the direction of flow, v gas velocity along the direction of flow. 3. $\dot{\alpha}_N/dt = 0$ (the condition of application $\alpha_N/\alpha_0 \ll 1$ is satisfied for T_2 (temperature behind the wave front) $\approx 10000^\circ K$). By means of the equation for maintaining enthalpy and kinetic energy, one obtains: $n = n_2/(1-\epsilon)$, $v = v_2(1-\epsilon)$, $p = nkT = n_2kT_2 = \text{const}$, $\sigma = (6500\alpha_0 + 12600\alpha_N)/T_2$ (1. 9) (the indices 1 and 2 denote the quantities in front of and directly behind the wave front respectively). In the simplest case (constant temperature and density, condition: $59v_2^2/2 < 1$, fulfilled at $T_2 < 3000^\circ$, $p_2 > 1$ atmosphere) the following equations are obtained:

$$\alpha_0 = \alpha_0^* \frac{\exp(2t/\tau_0) - 1}{\exp(2t/\tau_0) + 1} \quad (2. 1)$$

$$\alpha_{NO} = \alpha_{NO}^* \frac{[\sinh(t/\tau_0)]^{2v} - 1}{[\sinh(t/\tau_0)]^{2v} + 1} \quad (2. 2)$$

(α_{NO}^* equilibrium concentration for the nonequilibrium temperature ϵ),

Card 3/5

S/207/62/000/001/009/018
B145/B138

The kinetics of nitrogen ...

where τ_0 (time of equilibrium adjustment in respect of the O atoms) = $1/(2(k_1 k_1' n^3 \alpha_{O_2})^{1/2})$ and $\nu = 2 \cdot 10^{22} (1/n)(\alpha_{N_2}/\alpha_{O_2})^{1/2} \exp(-27/\nu)$. For

higher temperatures, the variability of T must be considered according to Eq. (1.9). For the initial state of the process ($k_1 n \alpha_{O_2} \gg k_1' n^2 \alpha_0^2$) one obtains the equation: $t = \frac{1}{k_1 n \alpha_{O_2}} \exp(2b(\alpha_{O_2})_0) [Ei(-2b\alpha_{O_2}) - Ei(-2b(\alpha_{O_2})_0)]$

$$Ei(-x) = \int_x^\infty \frac{e^{-t}}{t} dt, \quad \alpha_{O_2} = (\alpha_{O_2})_0 - \alpha_0/2 \quad (3.2)$$

For τ_0 in this case $\tau_0 = 1/(k_1 k_1' n^3 \alpha_{O_2})^{1/2} [1 + \alpha_0(1 - 2b\alpha_{O_2})]$ and for

$\alpha_{O_2} \approx (\alpha_{O_2})_0 \gg \alpha_N$: $\alpha_N = 4 \exp(-35/\nu_2) \exp(-d\alpha_0) \alpha_0 / (\alpha_{O_2})_0$. In the case of $\nu_2 > 7$, the dissociation of N_2 , which had been neglected in both the previous cases, must be considered. With the argument $\xi = \nu_2 - 2.7 + 13\alpha_{O_2} - 12.6\alpha_0$,

Card 4/5

The kinetics of nitrogen ...

S/207/62/000/001/009/018
B145/B138

one obtains the equation:

$$t = \frac{1}{k_{10} n_2} e^{c\alpha N(\alpha_0)} [Ei(-b\alpha_0) - Ei(-b(\alpha_0))] \quad (3. 6),$$

where $c = 740/(\gamma_2 - 2.7)^2$ and $b = 780/(\gamma_2 - 2.7)^2$. Examples with concrete values were calculated for all three cases and the results are in good agreement with those from Ref. 1. There are 4 figures and 9 references: 7 Soviet and 2 non-Soviet. The two most recent references to English-language publications read as follows: Duff R., Davidson N., J. Chem. Phys., 1959, no. 31, 1018, Calculation of reaction profiles behind steady state shock waves, J. Chem. Phys., 1959, vol. 31, no. 4, p. 1018; Lin S., Fife W. Strong shock waves structure in the air, Phys. Fluids, 1961, vol. IV, no. 2, p. 238. ✓

SUBMITTED: July 25, 1961

Card 5/5

35639
S/020/62/143/001/012/030
B104/B108

24.6730

AUTHORS: Zel'manov, I. L., Kompaneyets, A. S., and Sayarov, Yu. S.

TITLE: Phase motion of particles in accelerators with variable parameters

PERIODICAL: Akademiya nauk SSSR. Doklady, v. 143, no. 1, 1962, 72-73

TEXT: The phase oscillation equation of particles in an accelerator whose parameters have negligible random disturbances is in linear appoximation

$$\frac{d^2q}{dt^2} + \omega^2(t) q = a(t) \psi(t), \quad (1).$$

q is the distance between the particle observed and an "ideal" synchronous particle, ψ is a random quantity characterizing the phase deviation of the synchronous particle from the "ideal" particle, $\omega^2(t)$ and $a(t)$ are known functions slowly changing with time. The phase oscillations in an "ideal" accelerator are described by

$$\frac{d^2q_0}{dt^2} + \omega^2(t) q_0 = 0, \quad (2), \quad X$$

Card 1/3

S/020/62/143/001/012/030
B104/B108

Phase motion of particles ...

where $Q = q - q_0$ and $\dot{Q} = \dot{q} - \dot{q}_0$ characterize the deviations of the position and velocity of the particle observed from the "ideal" one. Assuming that $\psi(t) = 0$, $\overline{\psi(t)\psi(t')} = \psi_0^2 \delta(t - t')$ and that the solutions of (1) and (2) may be found in Wentzel-Kramers-Brillouin's approximation,

$$\frac{\partial \Phi}{\partial t} + \dot{Q} \frac{\partial \Phi}{\partial Q} - \omega^2 Q \frac{\partial \Phi}{\partial \dot{Q}} = v(t) \left(\frac{\partial^2 \Phi}{\partial Q^2} + \omega^2(t) \frac{\partial^2 \Phi}{\partial \dot{Q}^2} \right), \quad (3)$$

$$v(t) = \frac{\psi_0^2}{2\omega(t)} \left(\frac{a^2(t)}{\omega(t)} + \omega^2(t) \int_{t_0}^t \frac{a^2(\tau)}{\omega(\tau)} d\tau \right).$$

is obtained for the probability density $\Phi(t, Q, \dot{Q})$. As a solution of (3),

$$\Phi = \frac{1}{4\pi \int_{t_0}^t v \omega dt} \exp \left(- \frac{Q^2}{\frac{4}{\omega} \int_{t_0}^t v \omega dt} - \frac{\dot{Q}^2}{4\omega \int_{t_0}^t v \omega dt} \right), \quad (9)$$

Card 2/3

S/020/62/143/001/012/030
B104/B108

Phase motion of particles ...

is obtained. This solution holds for any dynamic system which has a potential $\frac{1}{2}\omega^2(t)q^2$ slowly changing with time, and which is affected by random forces $a(t)\psi(t)$. The reference to the English-language publication reads as follows: S. Livingstone, Accelerators, 1956.

ASSOCIATION: Institut khimicheskoy fiziki Akademii nauk SSSR
(Institute of Chemical Physics of the Academy of Sciences
USSR)

PRESENTED: October 16, 1961, by V. N. Kondrat'yev, Academician

SUBMITTED: October 10, 1961

Card 3/3

SAYASOV, Yu.S.

Ionization kinetics behind a straight shock wave in the air.
Dokl. AN SSSR 146 no.2:409-412 S '62. (MIRA 15:9)

1. Institut khimicheskoy fiziki AN SSSR. Predstavлено akademikom
V.N. Kondrat'yevym.
(Shock waves) (Ionization)

S/109/63/008/003/017/027
D2/1/D308

AUTHORS: Sayasov, Yu. S., and Zhizhimov, L. A.

TITLE: Resonance scattering of radio waves by trails
of artificial earth satellites

PERIODICAL: Radiotekhnika i elektronika, v. 8, no. 3, 1963,
499-502

TEXT: Scattering phenomena are discussed based on the assumption that a plane wave hits in a normal direction a cylindrical inhomogeneity of infinite length, with an electron concentration dependent solely on the distance from the axis, and that the electric vector of the incident wave is parallel to the cylinder axis. The permittivity of the trail is lower than that of the surrounding ionosphere because of the lower electron concentration. It is shown that the trail region, with respect to its scattering properties, is an analog of the attracting potential in quantum mechanics. If one of the possible stationary condi-

Card 1/3

S/109/63/008/003/017/027
D271/D308

Resonance scattering...

tions is near zero, the scattering of the particles has a resonance character. Self-resonance is always possible if the region is cylindrical. In view of the great length of the trail, self-resonance is possible even though the cross-dimensions of the trail are small by comparison with the wavelength critical. An equation is given for E_2 , and its solution takes the form:

$$H_z = \sum_{l=-\infty}^{+\infty} R_l(r) e^{il\theta} . \quad (2)$$

The scattering amplitude is obtained by subtracting a plane wave from Eq. (2) and assuming the difference to be a propagating cylindrical wave. The expression thus obtained is discussed, given the conditions required for self-resonance. In real conditions, the trail is not truly cylindrical but flattened in the

Card 2/3

Resonance scattering...

S/109/63/008/003/017/027
D271/D308

x-direction. The analogy with a unidimensional potential cavity is applied to the evaluation of the reflection coefficient of a plane wave travelling in the x-direction. In this case, the full scattering cross-section does not extend beyond the effective trail surface, whereas in the case of full cylindrical symmetry it is many times greater. Resonance scattering does not occur when the trail length and the relative change in electron concentration are relatively small. Gratitude is expressed to M. Ye. Gertsenshteyn, A. V. Gurevich, A. S. Kompanejts, and L. I. Pitayevskiy for their help in checking results.

SUBMITTED: July 7, 1962

Card 3/3

KOZHUSHNER, M.A.; SAYASOV, Yu.S.

Interrelation of elastic and inelastic scattering cross sections in
nonadiabatic atomic collisions. Opt. i spektr. 15 no.5:577-581 N
'63. (MIRA 16:12)

ACCESSION NR: AP4009455

S/0051/63/015/006/0734/0742

AUTHOR: Kozhushner, M.A.; Sayasov, Yu.S.

TITLE: Regarding the probabilities for inelastic atomic collisions in the case of several points of intersection (or pseudointersection) of the terms

SOURCE: Optika i spektroskopiya, v.15, no.6, 1963, 734-742

TOPIC TAGS: atomic collision, collision probability, inelastic collision, collision cross section, level intersection, term intersection, diatomic system, excitation function

ABSTRACT: The present quantum mechanical theory (L.Landau and E.Lifshits, Kvantovaya mekhanika, M,1948) of electronic transitions in diatomic systems may not correctly represent the situation that obtains in cases when the terms of the two electronic states between which the transition occurs have more than one point of intersection. This situation obtains, for example, if the terms actually intersect at one point and approach close to each other for large distances between the atoms, i.e., when there occurs "pseudointersection". There may also occur cases when the terms actually intersect at two or more points. Accordingly, in the present paper there are deduced formulas for the probabilities for inelastic processes in the

Card 1/2

AP4009455

presence of two points of intersection (or "pseudointersection") of the terms. The results are susceptible of generalization to the case of an arbitrarily large number of points of intersection. It is assumed that the interactions depend only on the separation between the atoms, that is, that the problem is centrosymmetric. Thus, investigation of the problem of scattering incident to collision of two atoms reduces to consideration of a system of two related radial equations corresponding to the given azimuthal quantum number in the system formed by the two colliding atoms. The calculations are carried out by a method analogous to that proposed by E. C. Stückelberg (Helv. Phys. Acta, 5, 370, 1932). A specific solution is derived for the case of two points of intersection of the terms and equations are derived for the cross section for inelastic processes in the case of two pairs of transition points. It is shown that in the case of several points of intersection (or "pseudointersection") of the terms the energy dependence of the cross section for collisions of the second kind may exhibit a number of peaks. "We desire to express our gratitude to A.S.Kompanejts for discussion of the work and useful suggestions." Orig.art.has: 60 formulas and 1 figure.

ASSOCIATION: none

SUBMITTED: 20Jul62

DATE ACQ: 03Jan64

ENCL: 00

SUB CODE: PH
Card 2/2

NR REF Sov: 002

OTHER: 004

IVANOV, G.K.; SAYASOV, Yu.S.

Scattering theory in the impulse approximation. Zhur. eksp. i teor. fiz. 45 no.5:1456-1466 N '63. (MIRA 17:1)

1. Institut khimicheskoy fiziki AN SSSR.

ACCESSION NR: AR4014684

S/0271/64/000/001/A058/A058

SOURCE: RZh. Avtomatika, telemekhanika i vy*chislitel'naya tekhnika, 1964,
no. 1, Abs. 1A378

AUTHORS: Saydov, P. I. and Sliv, E. I.

TITLE: Gyroscopic bearing indicators

CITED SOURCE: Izv. Leningr. elektrotekhn. in-ta, vy*p. 48, 1963, 90-109

TOPIC TAGS: gyroscopic bearing indicator, vertical gyro, gyro error signal,
gyroscopic position indicator, inertial gyroscope

TRANSLATION: The possibility of using a vertical gyro with radial correction as
a gyroscopic bearing indicator is examined. Since the moments of the error
correction applied to the vertical gyro are functions of longitude and latitude
derivatives, it is possible to obtain continuously the coordinates of a moving
object by integrating the respective signals. Cases of a four-gyro vertical
system, an inertial gyro system with integral correction, and an inertial gyro
system with an azimuthal gyro are discussed. Orig. art. has 7 figs. and 6 refs.

SUB CODE: GS
Card 1/1

ENCL: OO

DATE ACQ: 19Feb64 I. L.

L 11086-65 EWT(m) DIAAP/AFWL/SSD/ESD(t)

ACCESSION NR.: AP4046630

S/0181/64/006/010/3118/3123

AUTHORS: Arifov, P. U.; Gol'danskiy, V. I.; Sayasov, Yu. S.

(B)

TITLE: Determination of the momentum distribution of annihilating electron-positron pairs from the gamma-quantum angular distribution

SOURCE: Fizika tverdogo tela, v. 6, no. 10, 1964, 3118-3123

TOPIC TAGS: annihilation reaction, electron, positron, angular momentum distribution, gamma quantum distribution

ABSTRACT: It is shown that the formula customarily used to reconstruct the momentum distribution from the γ -quantum angular correlation is based on assumptions that are too approximate. The author consequently derives a relation between the density $\rho(p)$ of the momentum distributions of e^+e^- pairs and the coincidence counting rate I (as a function of angle), in which correct account is taken of the geometry of the experiment and of the variability of the

Card 1/2

L 11086-65
ACCESSION NR: AP4046630

probability that the angles of the emitted annihilation γ quanta can be correctly registered by the detectors. The conditions under which the new formulas give results that differ appreciably from the old formula are indicated. It is also shown that the new formulas can also be used directly to determine the momentum distribution of slow neutral pions from the angular correlation of the γ quanta produced by their decay. Orig. art. has: 2 figures and 11 formulas.

ASSOCIATION: Institut khimicheskoy fiziki AN SSSR, Moscow (Institute of Chemical Physics, AN SSSR)

SUBMITTED: 15May64

ENCL: 00

SUB CODE: NP

NR REF Sov: 002

OTHER: 003

Card 2/2

ACCESSION NR: AP4019221

S/0056/64/046/002/0560/0567

AUTHOR: Sayasov, Yu. S.

TITLE: Concerning the probabilities of nonadiabatic transitions
near the turning points

SOURCE: Zhurnal eksper. i teor. fiz., v. 46, no. 2, 1964, 560-567

TOPIC TAGS: nonadiabatic transition, nonadiabatic transition probability, Landau formula, two atom system, central symmetry interaction

ABSTRACT: A generalization of the Landau formula for the probabilities of nonadiabatic transition in a system of two atoms is obtained for the case where the energy of the system in the initial state can be close to the total value of the potential energy at the crossing point of the terms of the initial and final states, and the interaction energy between the terms is sufficiently large. The probability of the transition, determined by introducing a classical trajectory,

Card 1/2

ACCESSION NR: AP4019221

is shown to coincide with the exact quantum-mechanical probability, provided the force used is not the arithmetic mean but the geometric mean of the individual forces. The formula derived for the probability is valid for any excess energy above the potential energy. The derivation is based on the placing of the crossing terms by "regular" noncrossing terms constructed with allowance for the interactions that cause the transitions. "I am grateful to A. S. Kompaneyets and M. Ya. Ovchinnikova for a discussion of this work and for many valuable hints." Orig. art. has: 2 figures and 21 formulas.

ASSOCIATION: Institut khimicheskoy fiziki AN SSSR (Institute of Chemical Physics, AN SSSR)

SUBMITTED: 15Jun63

DATE ACQ: 27Mar64

ENCL: 00

SUB CODE: PH

NO REF SOV: 003

OTHER: 002

Card: 2/2

L 13488-65 EWT(1)/EWT(m)/T/EWA(h) IJP(c)/AEDC(a)/AEDC(b)/ASD(a)
ACCESSION NR: AP4047908 S/0056/64/047/004/1405/1414

AUTHORS: Ivanov, G. K.; Sayasov, Yu. S.

TITLE: Theory of molecular transformations induced by neutrons /9/

SOURCE: Zhurnal eksperimental'noy i teoreticheskoy fiziki, v. 47,
no. 4, 1964, 1405-1414

TOPIC TAGS: Molecular transformation, neutron interaction, momentum
transfer, electronic state, particle collision

ABSTRACT: A general method is developed for investigating the probabilities of molecular transformations induced by neutron impact. The method is based on the assumption that the transformations of the molecule are such that the molecule remains in the electronic ground state, that the neutron imparts momentum only to peripheral atoms, and the interactions between the atoms receiving the momentum and the other atoms of the molecule have a paired character. The method

Card 1/2

L 13488-65

ACCESSION NR: AP4047908

involves the application of the impulse approximation to secondary collisions between the atoms ejected by the neutrons and the other atoms of the molecule. The method is used to calculate the probability of dissociation of a triatomic molecule by neutrons, accompanied by excitation of the diatomic residue. Orig. art. has: 25 formulas.

ASSOCIATION: Institut khimicheskoy fiziki Akademii nauk SSSR
(Institute of Chemical Physics, Academy of Sciences, SSSR)

SUBMITTED: 04Apr64

NR REF Sov: 008

ENCL: 00

SUB CODE: NP, GP

OTHER: 000

Card 2/2